

## <u>Assignment (8)</u>

- 1. Define the satellite station problem and how can it serve the survey work?
- S is a satellite station 5.8 m apart from a main station P South from S. Q is another main station at 3086.40 m from P and the measured direction SQ is 296° 06' 11". Determine the direction PQ.
- 3. An occupied station E 34.6 m from an inaccessible point B north of E. A, C are on the east from EB and the distances AB, BC are 16.246 km and 19.321 km respectively. If the angles AEC and BEA are 69° 14' 27", 76° 23' 06" respectively. Calculate the angle ABC.
- 4. The directions observed from a satellite station S, 70 m from a triangulation station C, to the triangulation station A, B, and C are 0°00′00″, 71°32′54″ and 301°16′15″, respectively. The lengths of AB, and AC are 16.5 km and 25.0 km, respectively. Deduce the angle ACB.
- 5. In a triangulation survey, the station C could not be occupied in a triangle ABC, and a satellite station S was established north of C. The angles as given in Table were measured at S using a theodolite.  $\frac{Pointing on Horizontal circle reading}{B} = \frac{74^{\circ}30'35''}{C} = \frac{227^{\circ}18'12''}{C}$

Approximate lengths of AC and BC were found by estimation as 17495 m and 13672 m, respectively, and the angle ACB was deduced to be 59°44′53″. Calculate the distance of S from C.

6. S is a satellite station to a triangulation station A at 12 m from A. From S the following bearings were observed:

 $A = 0^{\circ}00'00''$ ,  $B = 143^{\circ}36'20''$ ,  $C = 238^{\circ}24'48''$  and  $D = 307^{\circ}18'54''$ 

The lengths of lines AB, AC, and AD were measured and found to be 3190.32 m, 4085.15, and 3108.60 m, respectively. Determine the directions of B, C, and D from A.